

Optimal scheduling of demand side flexible units under uncertainty in SmartGrids

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NCE Smart Energy Markets

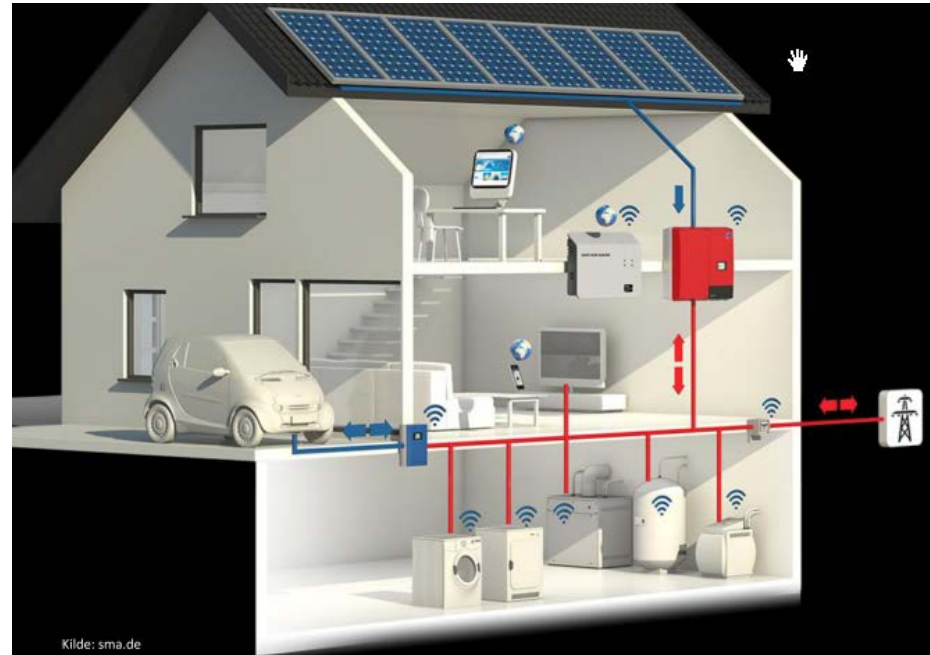
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Presentation outline

- Intro – SmartGrids and flexibility
- Optimization model
- Case study
- Future research

SmartGrid intro

- Active interaction between smart prosumers and energy system/market to create benefits in the value chain
- Demand side technologies
- Pricing regimes, business models
- Demand side flexibility



Increasing need for demand side flexibility

- Integration of renewable generation
 - Intermittent
 - Non dispatchable
 - Difficult to predict
- Integration of electrical vehicles
- In general more dynamics in the distribution grid
- This flexibility exists at distribution level



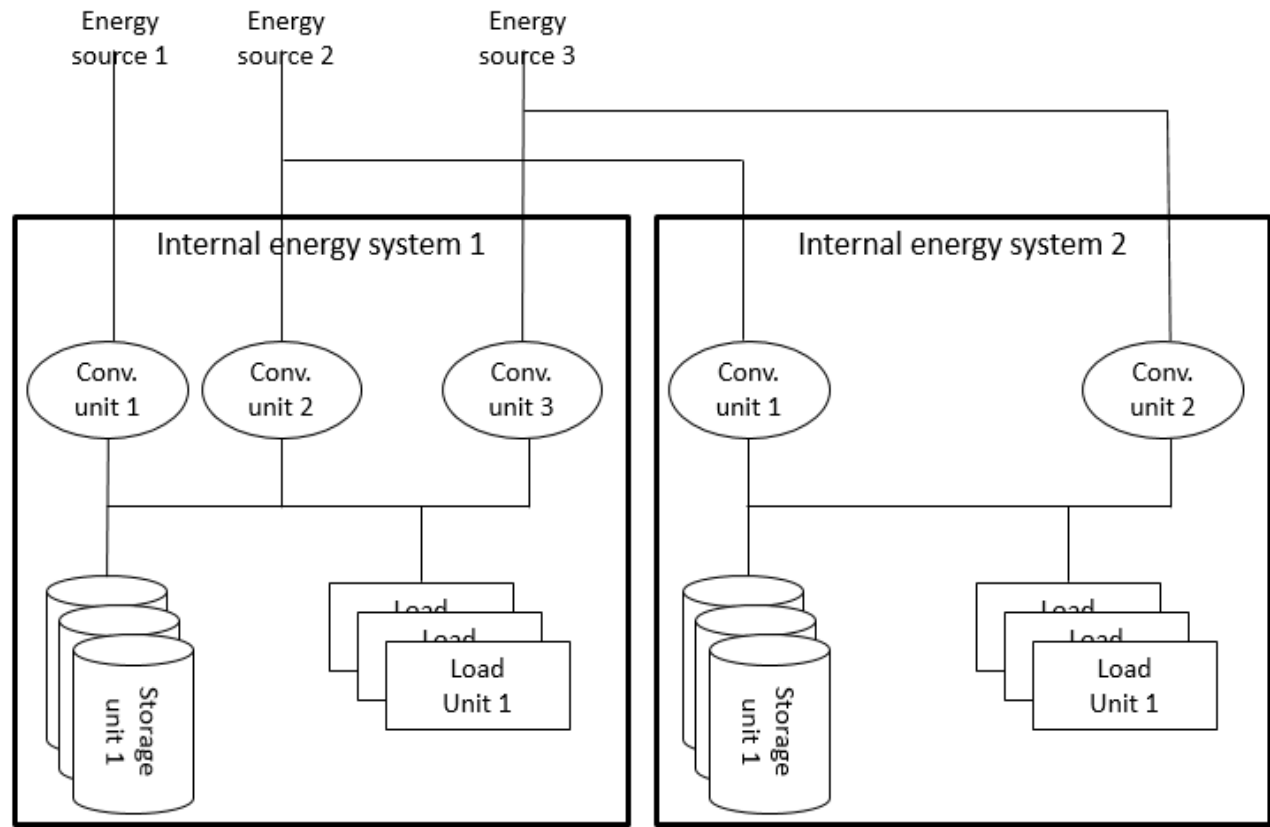
Our problem

- Smart prosumer (building with flexible energy resources (loads, generation/conversion, storage))
- El-prices that vary as a function of time and/or volume
- Participation in the end-user market

- **How to decide a short term (day ahead) optimal schedule for the flexible resources?**
- Need a general model that minimizes total costs with respect to
 - Technical, comfort and economical constraints
 - All information is not known at the decision point

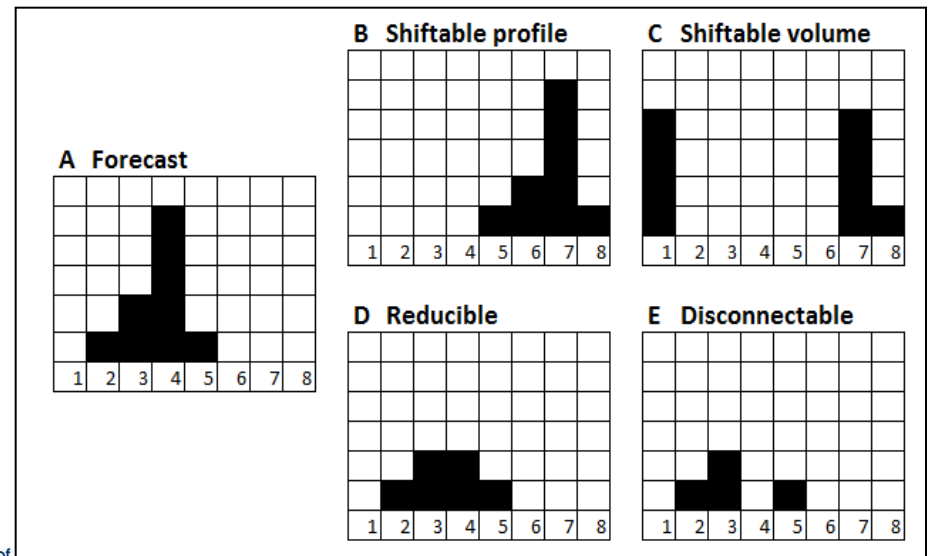
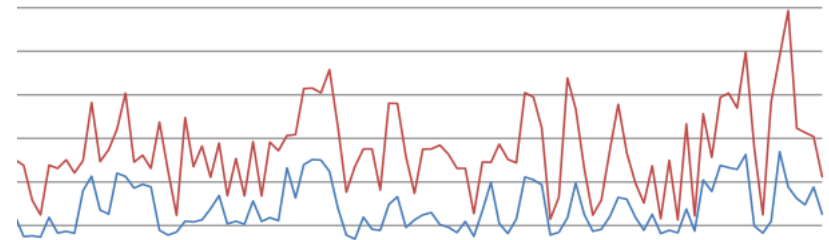
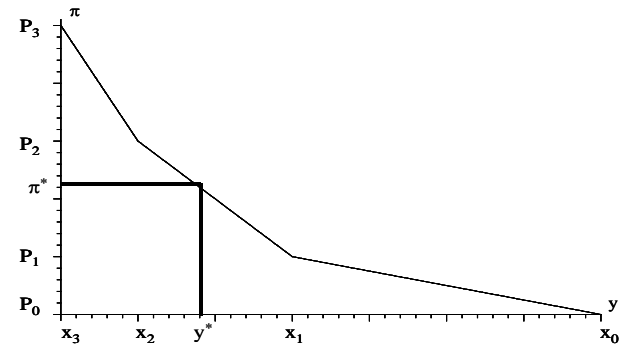
Internal energy systems

- Incentives from electricity prices
- Flexibility from interaction between electrical and thermal system (needs and appliances)



How to model loads?

- Flexibility model must reflect underlying physical system
- Must find an appropriate detail level
- Split into
 - Shiftable
 - Curtailable
 - Inflexible
- Parameters for when, how long, how often....



Optimization model

- Objective: Minimize expected total costs

$$\min z = \sum_{s \in S} R_s \cdot \left[\begin{aligned} & \sum_{a \in A} \sum_{t \in T} P_{a,t,s}^{energy} \chi_{a,t,s}^{net-in} + \sum_{a \in A} P_a^{cap} \chi_{a,s}^{cap} + \sum_{y \in Y} \sum_{o \in O} \sum_{t \in T} \alpha_{o,y,t,s}^{start} G_{y,o}^{startup} + \\ & \sum_{d \in D^C} \sum_{y \in Y} \sum_{t \in T} X_{d,y} \varphi_{d,y,t,s} - \sum_{a \in A} \sum_{t \in T} P_{a,t}^{sales} \chi_{a,t,s}^{net-out} \end{aligned} \right]$$

- Subject to:
 - Energy carrier constraints
 - Converter constraints
 - Storage constraints
 - Load constraints
 - Energy system balances
- Stochastisk mixed integer problem (SMIP)

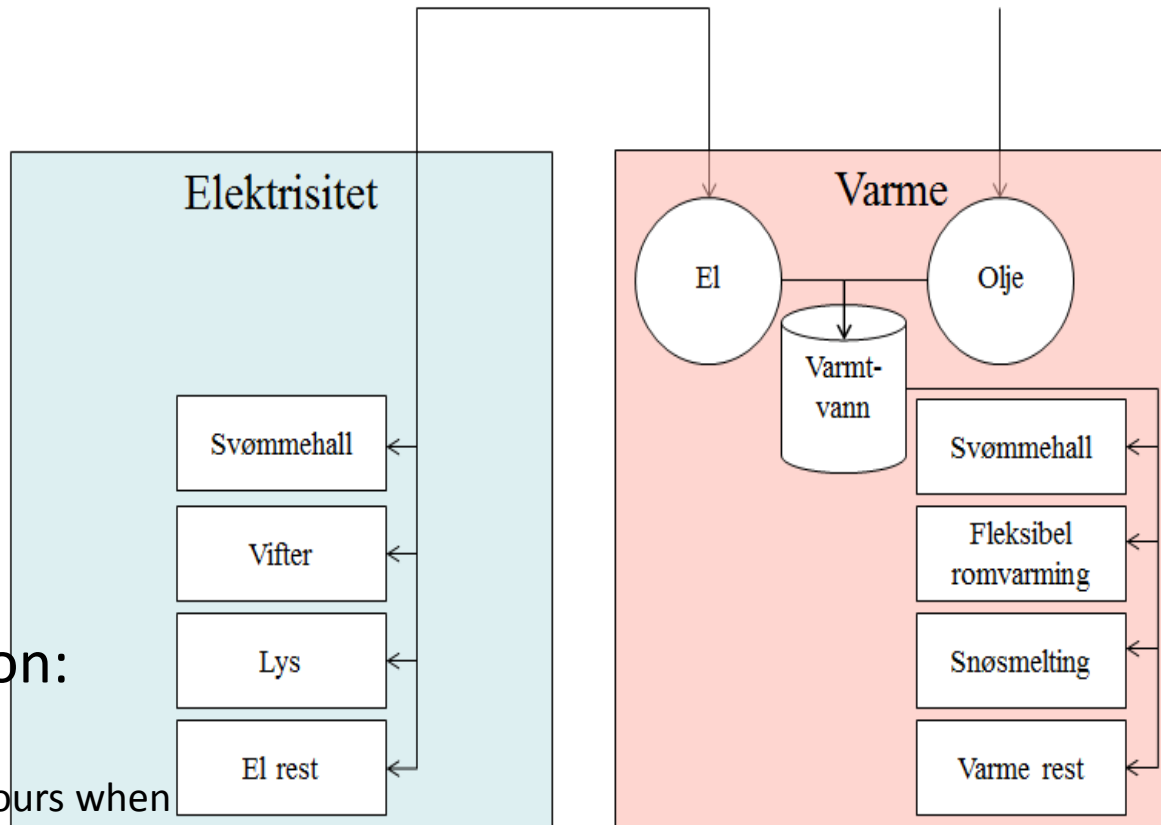
Case-study

- Mathematical model defined and implemented in Xpress
- Case-study performed based on university college building in Halden – in close cooperation with Statsbygg



Energy system model

- Flexible loads:
 - Shiftable volume
 - Swin area: whole day
 - Room: 2 and 2 hours
 - Shiftable profile
 - Snow melting (4 hours)
 - Curtailable
 - Lights. 20% dimmed
- Heat storage:
 - 37 kWh, maks 10 kW
- Energy carrier substitution:
 - Can change any time
 - Must run for minimum 4 hours when started
 - Small startup-cost



Load forecasting model

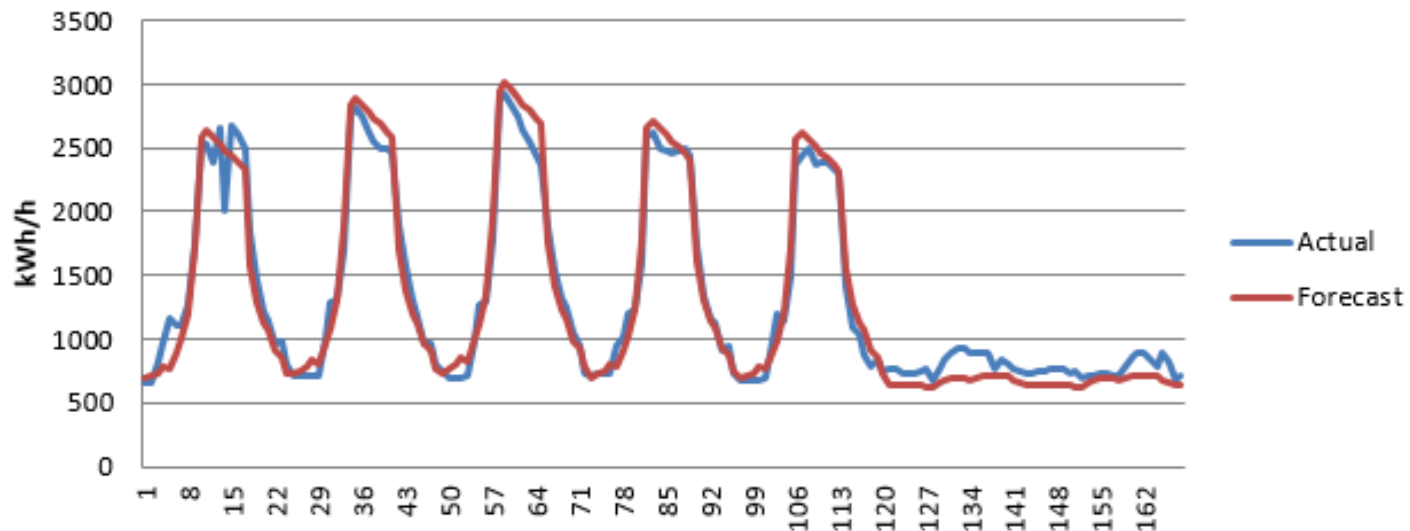
- At decision time load is not known - need a load forecast
- Model based on multiple linear regression with exogenous explanatory variables
- Load can be explained by hour of the day, whether workday or not, out-door temperature and month

$$L_t = \mu + \sum_{h=1}^{24} \alpha_h^{\text{workday}} D_{t,h}^{\text{hour}} D_t^{\text{workday}} + \sum_{h=1}^{24} \beta_h^{\text{workday}} D_{t,h}^{\text{hour}} D_t^{\text{workday}} \tau_t + \sum_{h=1}^{24} \alpha_h^{\text{nonworkday}} D_{t,h}^{\text{hour}} D_t^{\text{nonworkday}} + \sum_{h=1}^{24} \beta_h^{\text{nonworkday}} D_{t,h}^{\text{hour}} D_t^{\text{nonworkday}} \tau_t + \sum_{m=1}^{12} \gamma_m D_{t,m}^{\text{month}} + \varepsilon_t \quad \forall t \in T$$

Load forecasting

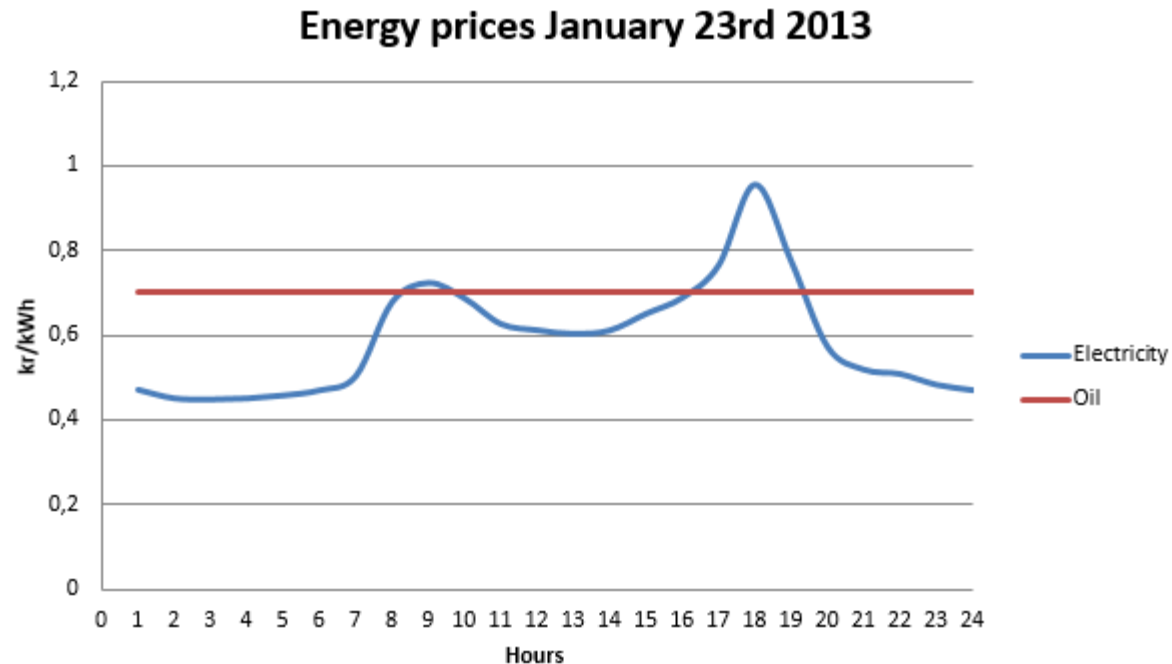
- Model calibrated (least squares) based on historic load (8 months 2012)
- $R^2 = 0,94$, mean residual = 0 each month
- Load forecast generated for scheduling day

Load forecast week 4 2013



Day, contracts and prices

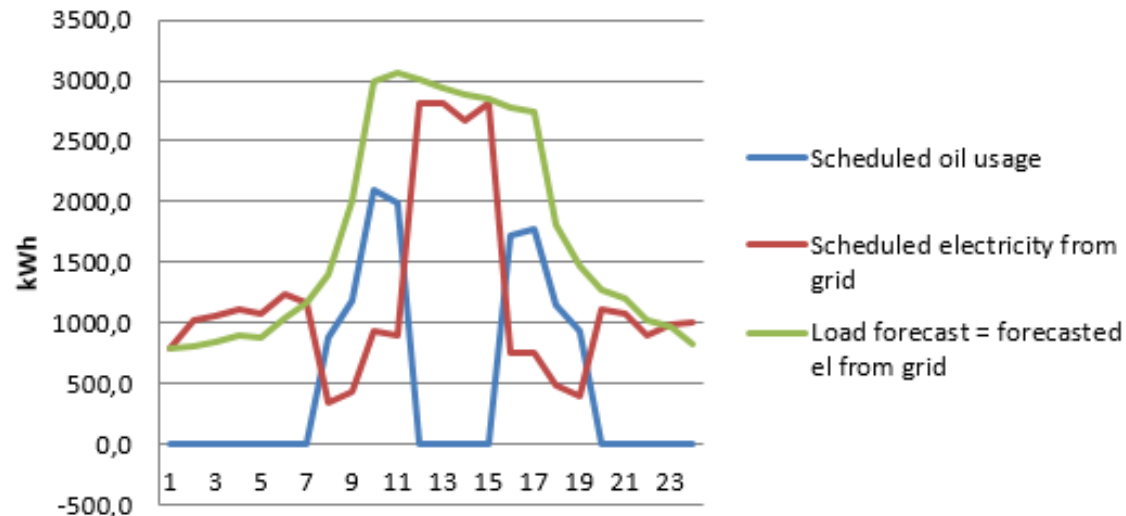
- Case run for a cold winter day: January 23rd 2013
- El supply contract based on elspot price hour by hour
- Grid contract based on DSO Fortum standard contract: 18,51 øre/kWh, 57 kr/kW/month
- Peak el up to Jan 22nd: 2.821 kW



Case study main results

- Target: Decide schedule for all flexible units (el/oil converter, storage, shiftable/curtailable load units)
- Flexibility used to exploit:
 - El-price variations during the day
 - Price variations between el and oil
 - To reduce peak electricity
- Net cost saving compared to no flexibility:
 - 1.000 kr energy
 - 11.000 kr peak

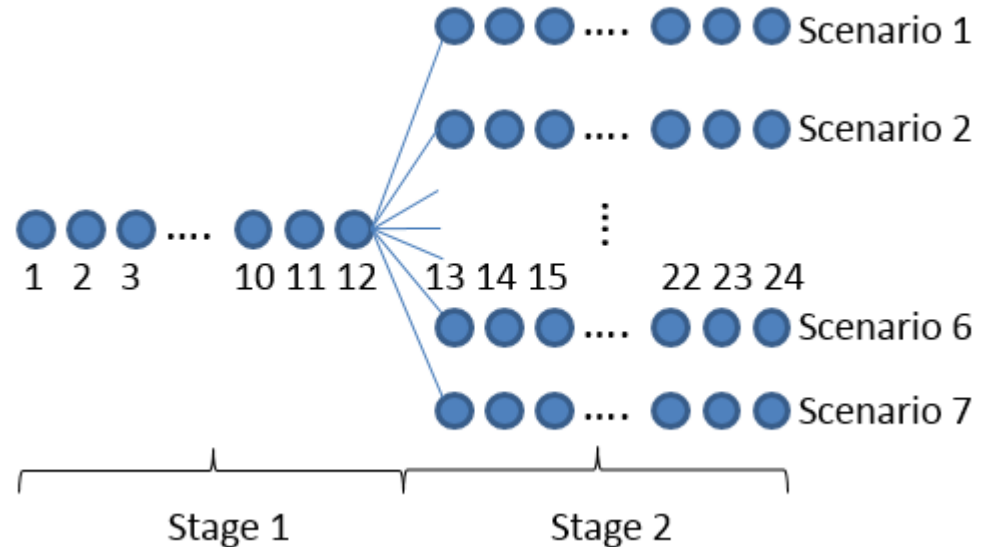
Load forecast vs scheduled purchase el and oil



Uncertainty

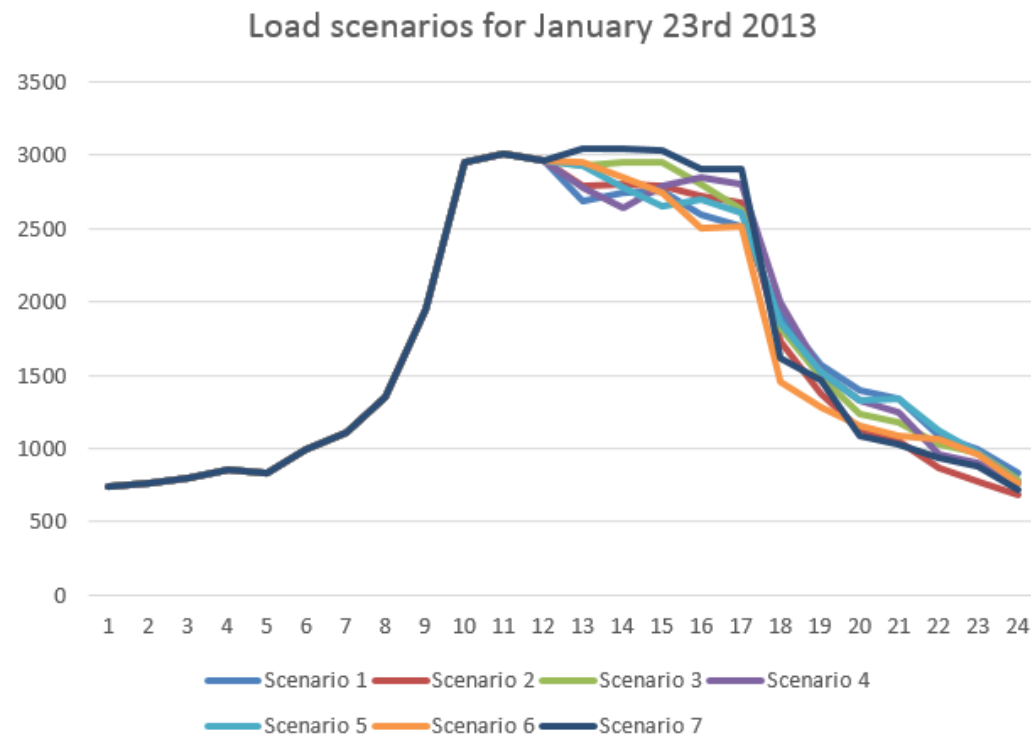
- Have assumed all parameters known with certainty
- Real load is not known until end of each hour.
- Becomes more certain the closer we get
- Simplification

- Assume everything certain for first half day
- In the end of hour 12 real load becomes known for the rest (hour 13 – 24)



Scenario generation

- 7 load scenarios based on load forecast for actual day + sampled residuals
- Residuals strongly auto correlated – sample day randomly and take whole series (hour 13 – 24)
- Repeat until mean residual ≈ 0



2-stage model with recourse

- Minimize expected total costs

$$\text{Min } cx + E[h(x, \tilde{\omega})]$$

$$\text{s.t. } Ax \geq b$$

$$x \geq 0$$

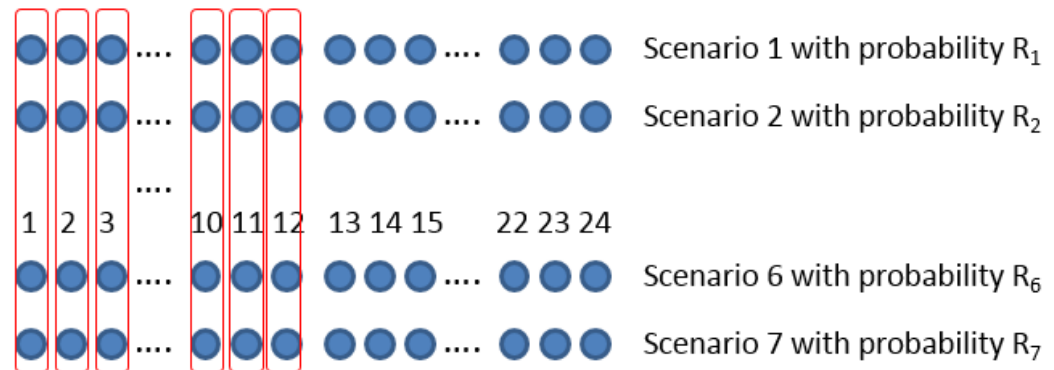
- 1st stage decision: Flexibility schedule for hour 1 – 12

$$\text{where } h(x, \omega) = \text{Min } g_{\omega}y$$

- 2nd stage (recourse) action: Select second stage decision (flexibility schedule) when realized scenario is known

$$\text{s.t. } W_{\omega}y \geq r_{\omega} - T_{\omega}x$$

$$y \geq 0.$$



Stochastic solution

- We get one solution for stage 1 and 7 solutions for stage 2
- Stochastic solution different from deterministic also in stage 1, mainly in the el/oil decision

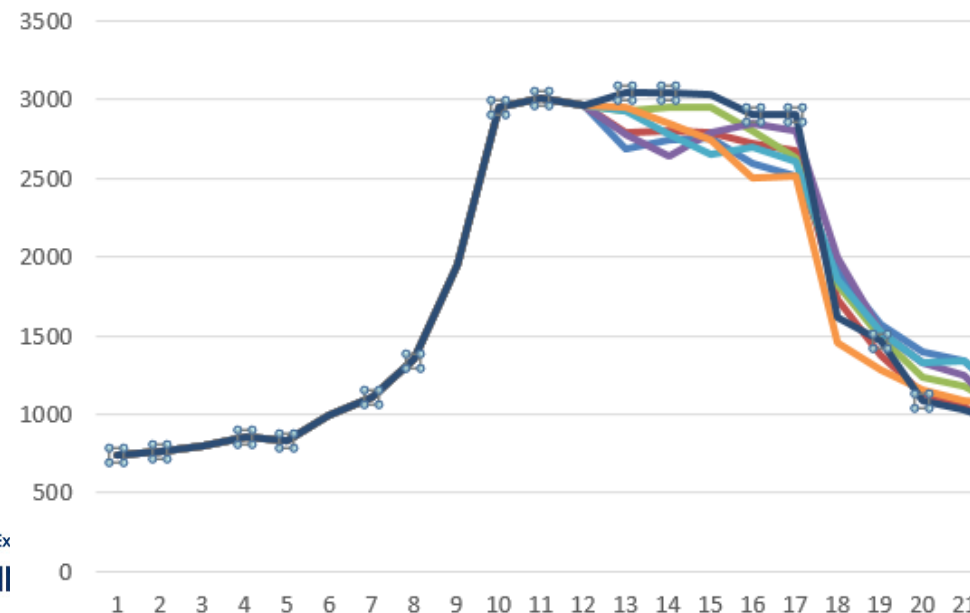
Type	Obj. func. value	1-7	8	9	10	11	12	13	14	15	16	17	18	19	20	21-24
Deterministic	25001	E	O	O	O	O	E	E	E	E	O	O	O	O	E	E
Stochastic	25085	E	E	O	O	O	O	D	D	D	D	O	O	O	O	E

Stochastic vs deterministic solution

Type	Obj. func. value	1-7	8	9	10	11	12	13	14	15	16	17	18	19	20	21-24
Deterministic	25001	E	O	O	O	O	E	E	E	E	O	O	O	O	E	E
Stochastisk	25085	E	E	O	O	O	O	D	D	D	D	O	O	O	O	E

- What if we implement deterministic solution for hours 1 – 12 (1st stage) and then replan?
- Det. decides to startup el-boiler in hour 12 – must run for at least 4 hours
- Earliest next startup for oil is hour 16
- Scenario 7 has new max load in 13, 14 and 15

Load scenarios for January 23rd 2013



What if we implement deterministic solution in stage 1?

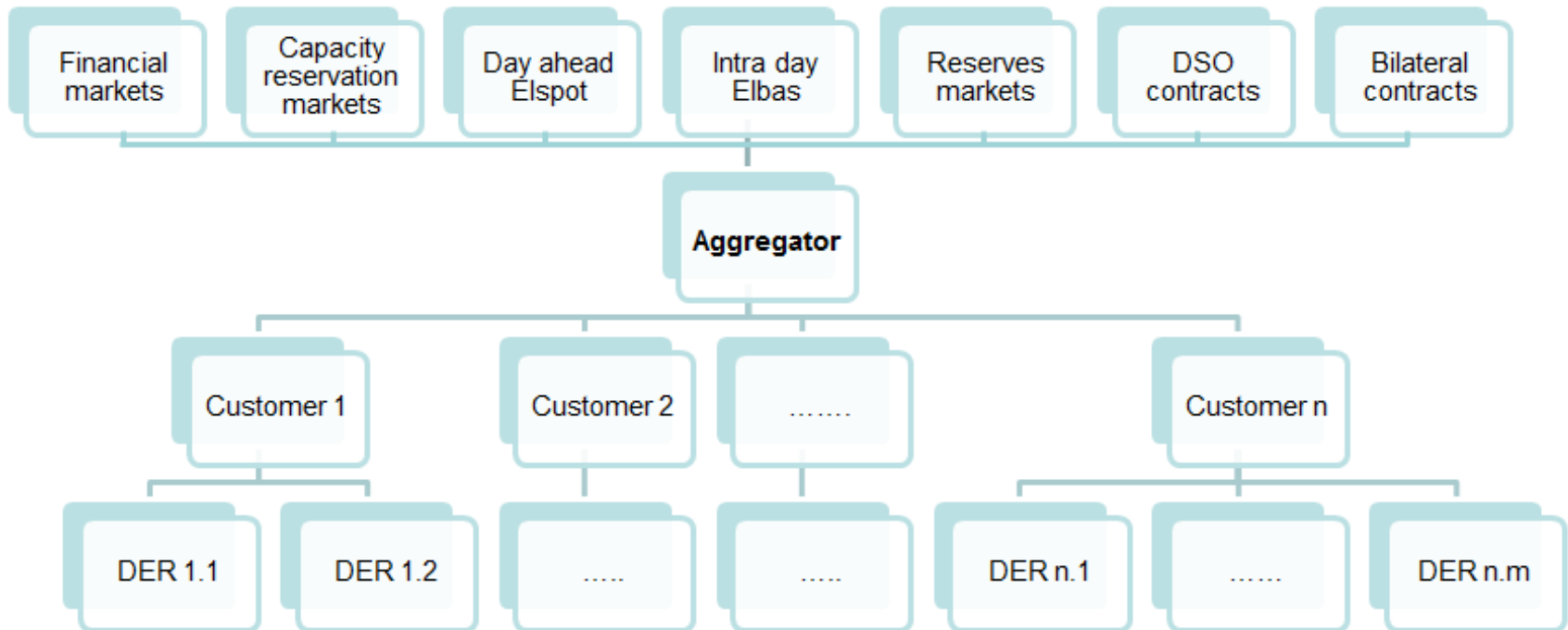
- In stage 2 we can not start up oil converter in 13, 14 or 15 – have lost flexibility in the decision process
- Scenario 7 will give new peak = 2.917 kW
- Added cost scenario 7: $(2.917 - 2.821) * 57 = 5.472$ kr
- Expected cost of ignoring uncertainty: 782 kr = Value of stochastic solution (VSS)

Discussion

- Concept model described
- Quantification of real cost reduction potential:
 - Flexibility parameters must be properly estimated
 - Run model over larger period
 - Rolling planning horizon
 - What happens in real life (none of the scenarios realize)
 - Rather simplified stage model and scenario generation method
- Selected one single day, high load (monthly peak) and large price variations
- Current incentives in Norway weak – stronger in other countries
- Type of contract crucial

Further work

- Aggregation and wholesale market participation
- Optimal bidding and allocation between contracts and markets
- Supply chain optimization and contract design



Thank you for your attention

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